Answe r	3	4	1	12	25 / 2	36	8	10
Colour	Brown	Yellow	Grey	Blue	Red	Green	Light Green	Orang e

- 1) Grey 1 The absolute value of the product of the gradients of two lines which are perpendicular.
- 2) Light green 8 Find a such that $\sqrt{a} = 2\sqrt{2}$.
- **3) Grey 1** The power of z when you simplify $\frac{xz^3}{y^3} \times \frac{x^5y^4}{3x^2z^2}$.
- 4) Grey 1 The radius of the unit circle.
- **5) Yellow 4** The x- coordinate of the centre of the circle $x^2 8x + y^2 + 10y + 16 = 0$.
- **6) Brown 3** The x-coordinate of the turning point of $y = x^2 6x + 21$.
- 7) Yellow 4 Find b such that $(x-2)(x+b)^2 = x^3 + 6x^2 32$.
- **8) Yellow 4** The remainder on dividing $x^3 + 4x^2 + 3x + 4$ by (x + 1).
- 9) Yellow 4 The gradient of the line perpendicular to $y = -\frac{1}{4}x + 3$.
- **10) Brown 3** Given that (x + 5) and (x 1) are factors of the polynomial $x^4 + ax^3 15x^2 19x + b$, find a.
- **11) Brown 3** The gradient of the line passing through (-2, -1) and (0,5).
- **12) Orange 10** One quarter of the discriminant of the quadratic $y = 2x^2 + 8x + 3$.
- **13) Orange 10** The radius of the circle $x^2 + (y 3)^2 = 100$.
- 14) Orange 10 The denominator when you rationalise
- **15) Light Green 8** The coefficient of x^2 in the expansion of $(1+3x)^n$ is 252. Find n
- **16)** Blue 12 The y-coordinate of the turning point of $y = x^2 6x + 21$.
- **17) Blue 12** The largest root (in absolute value) of the equation $3x^2 42x + 72 = 0$.
- 18) Green 36 $7776^{\frac{2}{5}}$.
- **19) Light Green 8** Find y such that 2x + 4y = 56 and x + y = 20.
- 20) Light Green 8 The denominator of $\frac{1}{\sqrt{8}}$ when rationalised.
- **21)** Blue 12 $20736^{\frac{1}{4}}$.

- **22) Green 36** $2 \times {6 \choose 2} + {4 \choose 2}$ where ${a \choose b}$ represents a choose b.
- **23)** Blue 12 The area of the triangle sandwiched between the x and y—axes and the line which passes through (-2,9) and (6,-3).
- **24)** Blue **12** Find x such that 2x + 4y = 56 and x + y = 20.
- **25)** Blue 12 Find n such that the coefficient of x^3 in the expansion of $(1+3x)^n$ is 540.
- **26)** Red **25** / **2** The number of intersection points of the graphs for $x^2 + y^2 = 9$ and the equation y = 2x + 1
- **27)** Grey 1 The gradient of the line which is perpendicular to y = -x + 3.
- 28) Red 25 The square of the radius for the circle

$$x^2 + 4x + y^2 - 8y - 5 = 0.$$

- **29)** Red **25** $\sqrt{625}$
- **30)** Grey 1 The x-intercept of the straight line -x 4y = -1.
- **31) Blue 12** Find the coefficient of x^3 in the expansion of $(2 + 3x)^4$ and then divide it by 18.
- **32) Yellow 4** The power of x when you simplify $\frac{xz^3}{y^3} \times \frac{x^5y^4}{3x^2z^2}$.

33)

- **34) Green 36** The point (x, x + 1), $x \in \mathbb{Z}^+$ lies on the circle $x^2 10x + y^2 10y + 25 = 0$. Find the *y*-coordinate for the largest x and then multiply by 4.
- **35) Green 36** The highest common factor of 252 and 180
- **36) Green 36** Given that (x+5) and (x-1) are factors of the polynomial $p(x) = x^4 + ax^3 15x^2 19x + b$, find b and add 6.
- **37) Orange 10** The solution of $2^x = 4^5$.
- **38) Orange 10** The length of the line segment between (-5, -1) and (3,5).
- **39) Red 25** The radius squared of the circle $x^2 8x + y^2 + 10y + 16 = 0$.
- **40)** Grey 1 The power of 11 in the prime factor decomposition of 1980.
- **41) Green 36** $\sqrt{1296}$
- **42) Blue 12** The y-intercept of the line parallel to -2x + y = 12 which passes through (-4,4).
- **43) Brown 3** Find a such that $\sqrt{63} = a\sqrt{7}$.
- **44) Brown 3** Find k such that the point (7,6) lies on the circle $(x-k)^2 + (y-k)^2 = 25$.

- **45) Brown 3** The intersection point of the line x + ay = 34 and y = x + 6 is (4,10). Find a.
- 46) Brown 3 The repeated root of the polynomial

$$P(x) = x^3 - 12x^2 + 45x - 54.$$

- **47)** Blue 12 The coefficient when you differentiate $y = 4x^3$.
- **48) Blue 12** One twentieth of the coefficient of x when you expand, by the binomial theorem, $(2+3x)^5$
- **49) Red 25** The points A(-4, -3) and B(4,3) is the diameter of a circle. Find the radius squared of this circle.
- **50)** Red 25 The *y*-intercept of the straight line 25x + 6y = 150